

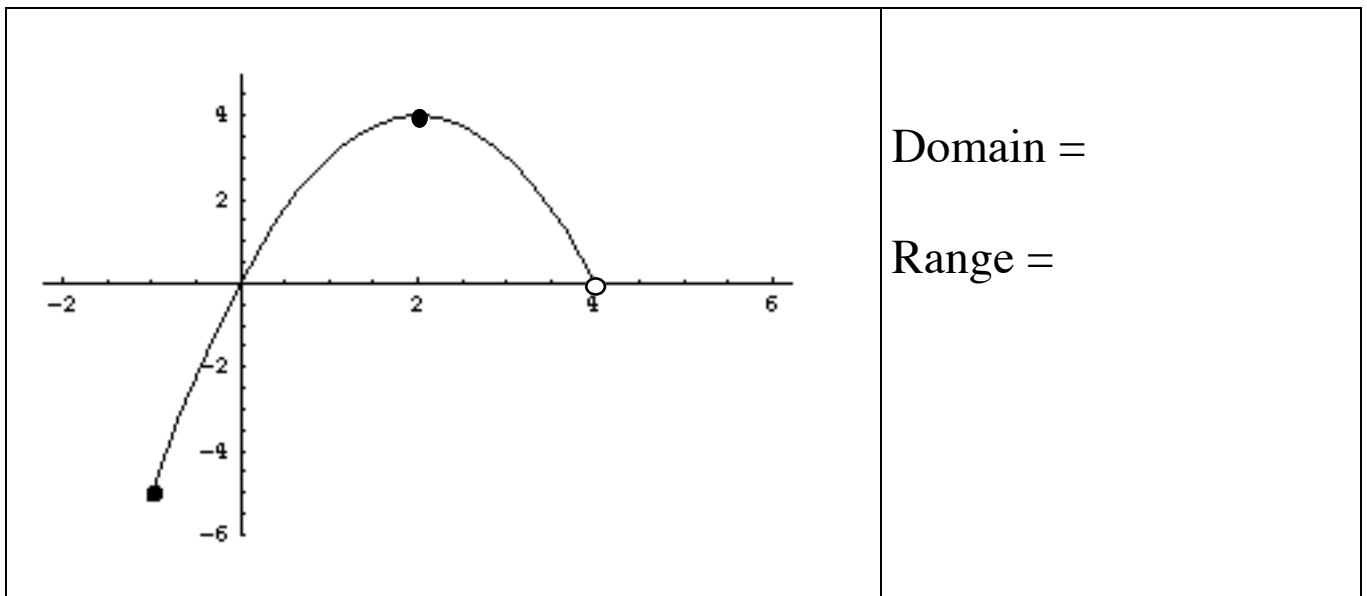
§ 2.3 Analyzing Graphs of Functions

The **graph of a function f** is the collection of ordered pairs $(x, f(x))$ such that x is in the domain of f .

To find **domain** from graph look at the x - values (left to right)

To find **range** from graph look at the y - values (up and down)

Example:



Increasing Function: A function where as x -values increase so do the y -values.

(Note: graph will rise up to the right)

Example: Graph $y = 2x + 5$

Decreasing Function: A function where as x -values increase y -values decrease.

(Note: graph will fall down to the right)

Example: Graph $y = -x + 4$

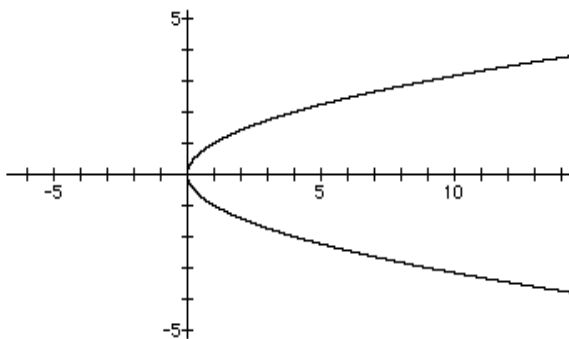
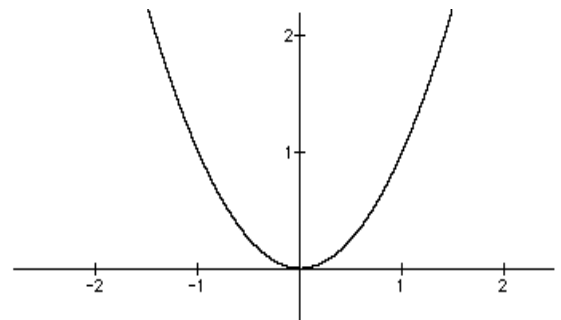
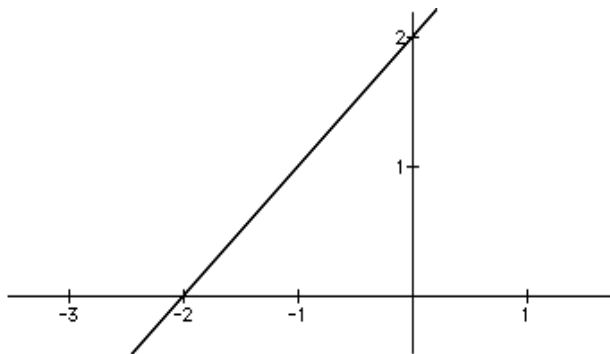
Constant function: The graph is a flat horizontal line.

Example: Graph $y = 3$

Vertical Line Test:

If every vertical line drawn intersects a graph in no more than one point, the graph is the graph of a function.

Example: Are the following graphs functions ?



Even and Odd Functions

<p>A function given by $y = f(x)$ is even if:</p> $f(-x) = f(x)$ <p>(Note: the function will be symmetric to the y-axis.)</p>	<p>A function given by $y = f(x)$ is odd if:</p> $f(-x) = -f(x)$ <p>(Note: the function will be symmetric to the origin.)</p>
---	---

Example: Are the following functions even or odd or neither ?

a) $f(x) = x^3 - x$

b) $f(x) = x^2 + 1$