Example 2: Graph the polynomial function.

$$P(x) = (2x + 3)(x - 1)(x + 2)$$

(1) Factor the polynomial completely.

Already factored ! P(x) = (2x + 3)(x - 1)(x + 2)

(2) Find the x - intercept(s) by solving P(x) = 0 and y - intercept(s) by evaluating P(0).

x - intercepts (y = 0) (2x + 3) = 0 (x - 1) = 0 (x + 2) = 0 x = -3/2 x = 1 x = -2 y - intercepts (x = 0) P(0) = (2(0) + 3)(0 - 1)(0 + 2) = (3)(-1)(2) = -6 (0, -6) point

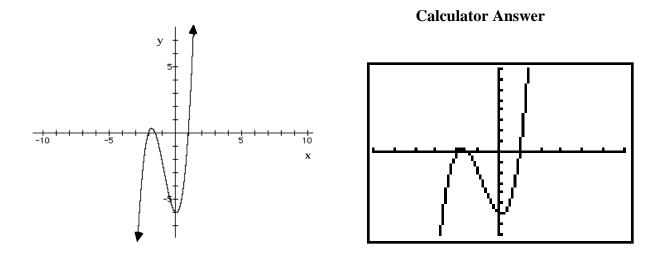
a.)

(3) Put the x - intercept(s) on a number line and test the intervals to determine where P is positive (above the x - axis) and negative (below the x - axis).

Test points:

(x = -3):	(2(-3) + 3)(-3 - 1)(-3 + 2) = (-3)(-4)(-1) =	-12 <u>below</u>	(-3, -12) point
(x = -1.6):	(2(-1.6) + 3)(-1.6 - 1)(-1.6 + 2) = (2)(-2.6	6)(.4) = .208 <u>above</u>	(-1.6, .208) point
(x = 0):	(2(0) + 3)(0 - 1)(0 + 2) = (3)(-1)(2) = -6	below	(0, -6) point
(x = 2):	(2(2) + 3)(2 - 1)(2 + 2) = (7)(1)(4) = 28	above	(2, 28) point

(4) Plot the intercepts and at least one other point in the middle intervals and use the other information to graph.



Example 2: Graph the polynomial function. b.)

$$P(x) = 3x^4 + x^3 - 2x^2$$

(1) Factor the polynomial completely.

$$P(x) = x^2(3x - 2)(x + 1)$$

(2) Find the x - intercept(s) by solving P(x) = 0 and y - intercept(s) by evaluating P(0).

x - intercepts (y = 0)  $x^{2} = 0$  (3x - 2) = 0 (x + 1) = 0 x = 0 x = 2/3 x = -1 y - intercepts (x = 0) P(0) = (0)^{2}(3(0) - 2)((0) + 1) (0, 0) point

(3) Put the x - intercept(s) on a number line and test the intervals to determine where P is positive (above the x - axis) and negative (below the x - axis).

<-----+-----> -1 0 2/3

Test points:

(x = -3):	$(-3)^2(3(-3)-2)((-3)+1) = 198$ <u>above</u>	(-3, 198) point
(x =5):	$(5)^2(3(5) - 2)((5) + 1) =4375$ <u>belo</u> w	(5,4375) point
(x = 1/3):	$(1/3)^2(3(1/3) - 2)((1/3) + 1) =148$ <u>below</u>	(1/3,148) point
(x = 1):	$(1)^2(3(1)-2)((1)+1) = 2$ <u>above</u>	(1, 2) point

(4) Plot the intercepts and at least one other point in the middle intervals and use the other information to graph.

